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## Theodolite Parts

- Telescope- It is used to see the object. It rotates about a horizontal axis in the vertical plane.
- Horizontal Circle It is used for measuring the horizontal angle.
- Vertical Circle- It is used for measuring the vertical angle.
- The lower plate The lower plate is that the base of the entire instrument. It homes the foot screws and the carrying for the vertical axis. Horizontal angles are measured with this plate.



## Basic Axes of theodolite

- Optical and electronic theodolites have an identical geometric and kinematical scheme. This consists of vertical and horizontal rotation axes and the collimation axis.
- The vertical axis is the instrument rotation axis. The horizontal axis is the telescope rotation axis. The vertical rotation axis is provided with the horizontal measuring circle.
- The horizontal rotation axis is provided with the vertical measuring circle.
- The collimation axis is the line that connects the center of the telescope objective with the reticle's crosshairs.




## Theodolite adjustment

- The vertical axis must be set into the plumb position at the beginning of a measurement. This is carried out by the means of the foot screws on the tribrach and using a tubular level as an indicator .
- Next we rotate the instrument and place the tubular level parallel to the line connecting foot screw 1 with foot screw 2 . Then we set the bubble into the center of the tubular level turning foot screws 1 and 2. Next we turn the instrument at $90^{\circ}$ around its vertical axis and again center the bubble by the means of foot screw 3 . Then we turn the instrument $180^{\circ}$ to check adjustment of the tubular level.
- If the bubble on the tubular level moves from the center, set it halfway back to the center by the means of leveling screw 3 . Now we correct the other halfway by the means of the adjusting screw. We need to be sure that the bubble is in the center by rotating the instrument at $180^{\circ}$. If not, repeat the adjustment. We need to repeat checking and adjusting until the bubble is in the center at any instrument position.


Bubble follows LEFT THUMB


Position a


Adjusting screw

Bubble still follows LEFT THUMB


Position a


Position b
$90^{\circ}$ to position a

Theodolite measuring mode


# Summary of Errors in Angle Measurements 

## Instrumental Errors

1. Plate bubble's out of adjustment
2. Horizontal Axis not perpendicular to vertical axis
3. Axis of Sight not perpendicular to vertical axis (Collimation error)
4. Vertical Circle Index Error

## - Natural Errors

1. Wind causes vibrations (difficult sightings)
2. Temperature variations cause bubbles to run
3. Refraction
4. Tripod settlement

- Personal Errors

1. Centering incorrectly
2. Bubbles not centered
3. Poor focusing
4. Leaning targets

- Common Mistakes

1. Point or Target misidentifications
2. Incorrect recordings
3. Improper focusing

## Horizontal Angle Measurements

- Mean face mode Its represented the average value for the F.L \& F.R mode readings for both vertical or horizontal angle. The mean face angle is represent the angle which are used later in traversing process

Calculating the F.L \& F.R mean and the horizontal angle :
For this type of angle the readings values for F.L and F.R mode are given and the horizontal angle for each value as follow :

1- From the point on which the device is setting, the (F.L) value is fixed in the direction of the observed point.

2- After fixing the value of (F.L) from step (1), we change the value of (F.R) as follows:
If the given $F R$ value is less than $180 \quad$ F. $R+180$

If the given FR value is greater than $180 \quad$ F.R - 180
F.R NEW $=\mathrm{F} . \mathrm{R}$ given $\pm 180^{\circ}$

3-We add the value of (the variable F.R) with the value of the constant (F.L) from step No. (1) and the result of the addition is divided by (2), so the quotient represents the modified direction of the first line (mean)

4- The same steps above are applied for each direction from the device station to the observed point..

5- The horizontal angle between two directions is :
Horizontal angle $=$ Mean later - Mean previous
Note : if the result value of the subtraction process was negative we should add $360^{\circ}$ to get the horizontal angle value .

Example1: In the traversing works, the theodolite was used to measure horizontal angles, and the measurements were as follows:

| Theodolite <br> station | Observed point | Horizontal circle reading |  |
| :--- | :---: | :--- | :--- |
|  |  | F.L | F.R |
|  | A | $15^{\circ} 19^{\prime} 40^{\prime \prime}$ | $195^{\circ} 19^{\prime} 20^{\prime \prime}$ |
|  | C | $120^{\circ} 27^{\prime} 55^{\prime \prime}$ | $300^{\circ} 28^{\prime} 5^{\prime \prime}$ |

Find horizontal angle ABC value .

## Solution

| BA |  | BC |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
| $15^{\circ} 19^{\prime} 40{ }^{\prime \prime}$ | F.L | $120^{\circ} 27^{\prime} 55^{\prime \prime}$ |  | F.L |  |
| $195^{\circ} 19{ }^{\prime} 20^{\prime \prime}$ | F.R | $300^{\circ} 28^{\prime \prime} 5^{\prime \prime}$ |  | F.R |  |
| $-180^{\circ}$ |  | $-180^{\circ}$ |  |  |  |
| $15^{\circ} 19^{\prime} 20^{\prime \prime}$ |  | $120^{\circ} 28^{\prime} 5^{\prime \prime}$ |  |  |  |
| +15 $5^{\circ} 19^{\prime} 40^{\prime \prime}$ |  | +120 ${ }^{\circ} 27^{\prime} 55^{\prime \prime}$ |  |  |  |
| $\left(30^{\circ} 39^{\prime} 00{ }^{\prime \prime}\right) / 2$ |  | ( $240^{\circ} 56^{\prime} 00^{\prime \prime}$ )/2 |  |  |  |
| $\mathrm{BA}_{\text {mean }}=15^{\circ} 19^{\prime} 30{ }^{\prime \prime}$ |  | $\mathrm{BC}_{\text {mean }}=120^{\circ} 28^{\prime} 00^{\prime \prime}$ |  |  |  |
| $<\mathrm{ABC}=120^{\circ} 28^{\prime} 00^{\prime \prime}-15^{\circ} 19^{\prime} 30^{\prime \prime}=105^{\circ} 8^{\prime} 30^{\prime \prime}$ |  |  |  |  |  |
| Theodolite station | Observed point | Horizontal angle value |  | Mean | angle |
|  |  | F.L | FR |  |  |
| B | A | $15^{\circ} 19{ }^{\prime} 40$ | $195^{\circ} 19^{\prime} 20^{\prime \prime}$ | $15^{\circ} 19^{\prime} 30 \prime$ | $105^{\circ} 08^{\prime} 30^{\prime \prime}$ |
|  | C | $120^{\circ} 27^{\prime} 55^{\prime \prime}$ | $300^{\circ} 28^{\prime \prime} 5^{\prime \prime}$ | $120^{\circ} 28^{\prime} 00^{\prime \prime}$ |  |

- Example2 : from the result of the observation in the below table find the value of acute angle ABC

| Theodolite station | Observed point | Horizontal circle reading |  |
| :--- | :--- | :--- | :--- |
|  |  | F.L | F.R |
| B | A | $345^{\circ} 20^{\prime} 10^{\prime \prime}$ | $165^{\circ} 20^{\prime} 40^{\prime \prime}$ |
|  | C | $30^{\circ} 42^{\prime} 20^{\prime \prime}$ | $210^{\circ} 42^{\prime} 50^{\prime \prime}$ |


$\rightarrow<\mathrm{ABC}=45^{\circ} 22^{\prime} 10^{\prime \prime}$

| Theodolite station | Observed point | Horizontal angle value |  | Mean | angle |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | F.L | F.R |  |  |
| B | A | $345^{\circ} 20^{\prime} 10^{\prime \prime}$ | $165^{\circ} 20^{\prime} 40^{\prime \prime}$ | $345^{\circ} 20^{\prime} 25^{\prime \prime}$ | $\begin{gathered} -314^{\circ} 37^{\prime} 50^{\prime \prime} \\ =45^{\circ} 22^{\prime} 10^{\prime \prime} \end{gathered}$ |
|  | C | $30^{\circ} 42^{\prime} 20^{\prime \prime}$ | $210^{\circ} 42^{\prime} 50$ | $30^{\circ} 42^{\prime} 35^{\prime \prime}$ |  |


| Theodolite <br> station | Observed <br> point | Horizontal angle value | Mean | angle |  |
| :--- | :--- | :--- | :--- | :--- | :--- |
|  | F.L | F.R |  |  |  |
| B | A | $345^{\circ} 20^{\prime} 10^{\prime \prime}$ | $165^{\circ} 20^{\prime} 40^{\prime \prime}$ | $345^{\circ} 20^{\prime} 25^{\prime \prime}$ | $-314^{\circ} 37^{\prime} 50^{\prime \prime}$ |
|  | C | $30^{\circ} 42^{\prime} 20^{\prime \prime}$ | $210^{\circ} 42^{\prime} 50^{\prime \prime}$ | $30^{\circ} 42^{\prime} 35^{\prime \prime}$ | $=45^{\circ} 22^{\prime} 10^{\prime \prime}$ |

Example 3: In traversing works a theodolite device were used for measuring the horizontal angles and the values was as follow :

| Theodolite station | Observed point | Horizontal circle reading |  |
| :---: | :---: | :---: | :---: |
|  |  | F.L | F.R |
| B | A | 0000' $20^{\prime \prime}$ | $180^{\circ} 03^{\prime} 10^{\prime \prime}$ |
|  | C | $31^{\circ} 25^{\prime} 20^{\prime \prime}$ | $211^{\circ} 25^{\prime} 40^{\prime \prime}$ |
| C | B | $275^{\circ} 10^{\prime} 20^{\prime \prime}$ | $95^{\circ} 10^{\prime} 12^{\prime \prime}$ |
|  | D | $45^{\circ} 46^{\prime} 10^{\prime \prime}$ | $225^{\circ} 46^{\prime} 18^{\prime \prime}$ |

Find the values of angles $A B C \& B C D$.

## Solution:

| Theodolite <br> station | Observed <br> point | Horizontal angle value |  | Mean | angle |
| :--- | :--- | :--- | :--- | :--- | :--- |
| B | A | $00^{\circ} 03^{\prime} 20^{\prime \prime}$ | $180^{\circ} 03^{\prime} 10^{\prime \prime}$ | $00^{\circ} 03^{\prime} 15^{\prime \prime}$ | $31^{\circ} 22^{\prime} 15^{\prime \prime}$ |
| C | C | $31^{\circ} 25^{\prime} 20^{\prime \prime}$ | $211^{\circ} 25^{\prime} 40^{\prime \prime}$ | $31^{\circ} 25^{\prime} 30^{\prime \prime}$ |  |
|  | B | $275^{\circ} 10^{\prime} 20^{\prime \prime}$ | $95^{\circ} 10^{\prime} 12^{\prime \prime}$ | $275^{\circ} 10^{\prime} 16^{\prime \prime}$ | $130^{\circ} 35^{\prime} 58^{\prime \prime}$ |
|  | D | $45^{\circ} 46^{\prime} 10^{\prime \prime}$ | $225^{\circ} 46^{\prime} 18^{\prime \prime}$ | $45^{\circ} 46^{\prime} 14^{\prime \prime}$ |  |

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## End of lecture... Questions and Answers?


[^0]:    Angle $\mathrm{ABC}=31^{\circ} 22^{\prime} 15^{\prime \prime}$
    Angle BCD $=130^{\circ} 35^{\prime} 58^{\prime \prime}$

